



# School Classification Error

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Richard Hill and Charles DePascale  
Center for Assessment

June 25, 2003

LSA Annual Conference

# Elements of NCLB Designs

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- Outcome criterion is percent passing
  - School as a whole and every subgroup within the school must pass either a status bar or an improvement standard on reading and math to make AYP
  - A school that fails to make AYP two consecutive years faces serious consequences
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# Reliability

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- Probability of a consistent or correct decision (not a reliability coefficient)
  - One negative error for any subgroup within a school on either test misclassifies the whole school
  - Inference is to larger population
  - Results for a school or subgroup can vary considerably from year to year—similar to random draws from school's population
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# Point to Note

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- Sampling error, not measurement error, is primary factor
    - Example:  $N = 50$ ,  $SD = 100$ ,  $r = .80$ 
      - SE with measurement error only = 6.3
      - SE with sampling error only = 14.1
      - SE with sampling and measurement error = 15.9
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# Reliability of School Means

N	Test Reliability	School Mean Reliability
25	.60	.82
	.90	.89
50	.60	.90
	.90	.94
100	.60	.95
	.90	.97

# Reliability Studies

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- 4 Methods
    - Direct Computation
    - Split-Half
    - Monte Carlo
    - Sampling with Replacement (“bootstrapping”)
  - For details, see “Determining the Reliability of School Scores”
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# Quick Study to Demonstrate Accuracy of Assumptions

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- Assumption of random draws of students allows us to calculate, for example, standard deviation of difference scores
  - For example, standard deviation of difference scores when  $N = 50$  is predicted to be 10, when  $N = 100$ , 7.1
  - How much actual variation is there compared to what the equations predict?
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# Quick Study to Demonstrate Accuracy of Assumptions

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- Could compute the standard deviation of differences in schools' percent proficient across years, but that would be confounded with changes in the educational programs
  - Computed the difference between the percentage of males in 2001 and 2002
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# Comparison of Predicted SD to Actual SD

	Pre- dicted	Actual	Pre- dicted	Actual
Number of Students/School	50	40-60	100	80-120
Standard Deviation of Differences	10	10.3	7.1	7.3

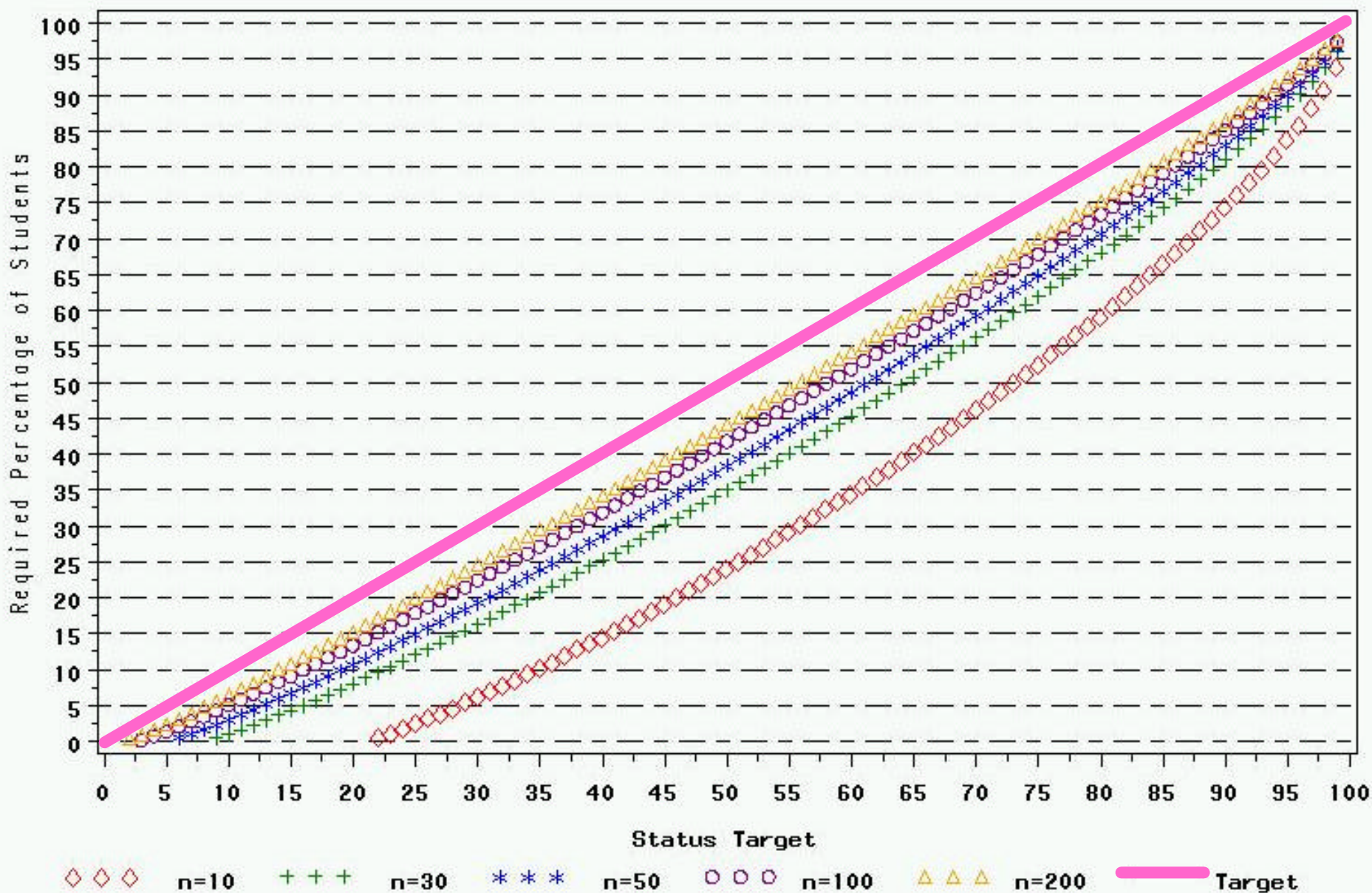
# Status vs. Improvement

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- Generally can relatively reliably determine status with groups of moderate size
    - One year of error
    - Subgroups often are far from 20<sup>th</sup> %tile school
  - Generally cannot reliably determine improvement even with very large groups
    - Two years of error
    - Amount of improvement expected is relatively small
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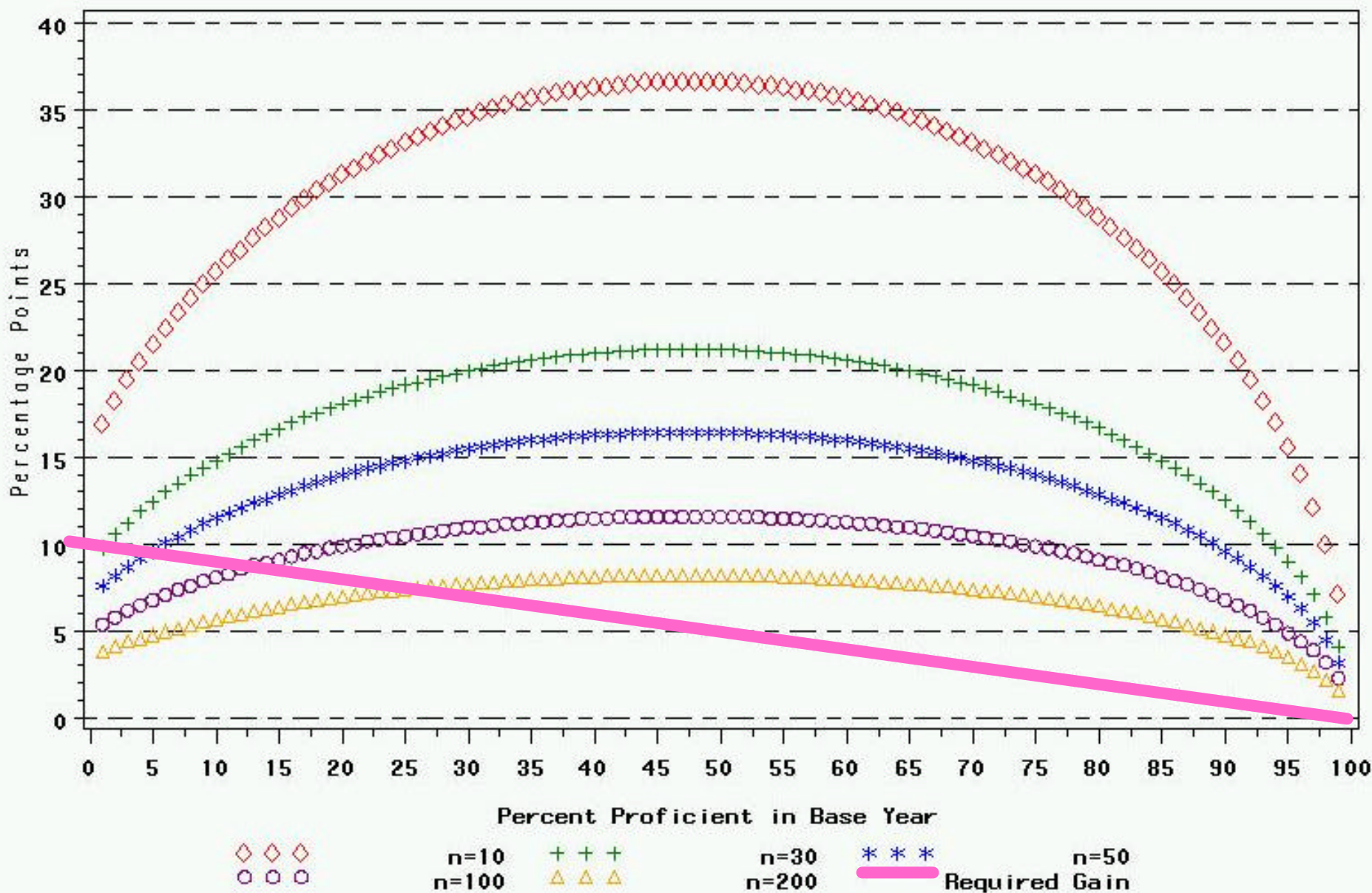
# NCLB: Determining AYP Through Status

Relationship between Required Status Target and 95% Confidence Interval



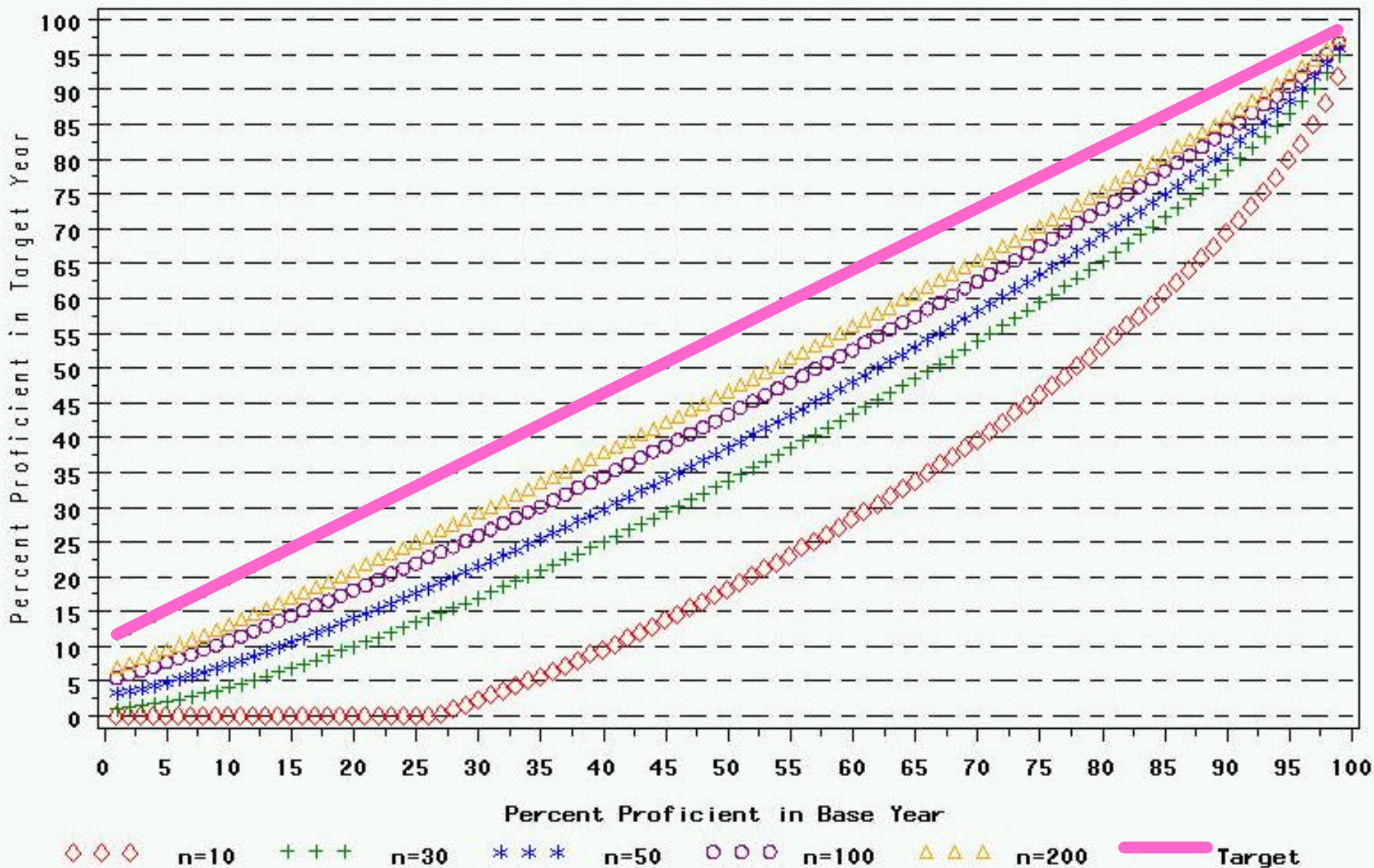
# NCLB: Determining AYP Through Improvement

Relationship between Required '10% Improvement' and 95% Confidence Interval



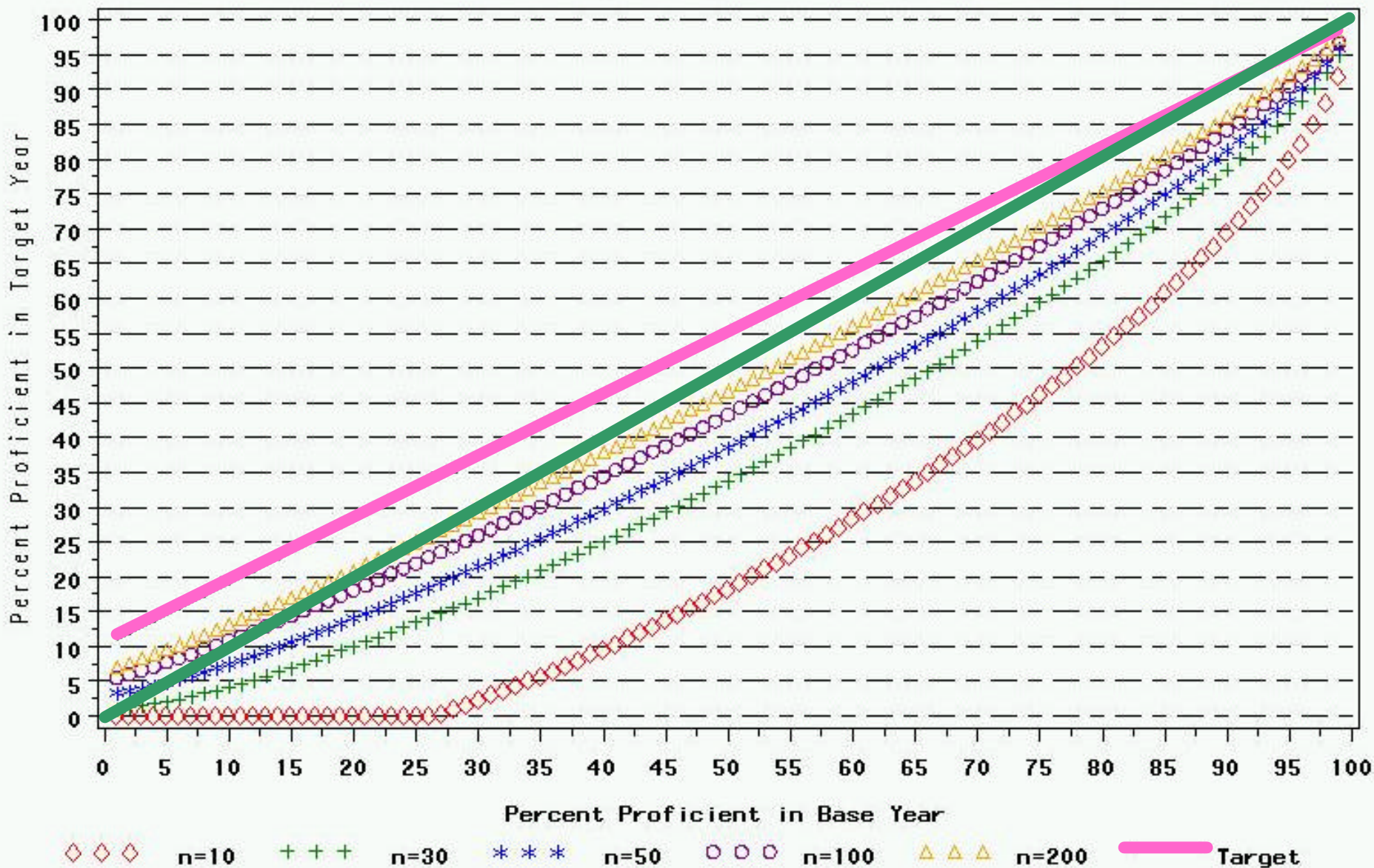
# NCLB: Determining AYP Through Improvement

Minimum Percent Proficient To Meet Improvement Target with 95% Confidence Interval  
Based on Initial Performance and Number of Students



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Minimum Percent Proficient To Meet Improvement Target with 95% Confidence Interval  
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# Confidence Intervals vs. Minimum N

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- Acceptable practice is to set a minimum number (typically 30-50) of students in group
  - That practice is both unreliable *and* invalid
    - Unreliable because 30-50 students is an insufficient number to detect improvement
    - Invalid because schools are not held accountable for subgroups with, say, 29 students
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# Confidence Intervals vs. Minimum N

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- Using confidence intervals for improvement means few schools are identified, but those identifications are reliable
  - Using minimum N identifies more schools, but just because you've identified *more* doesn't mean you've identified the *right* ones
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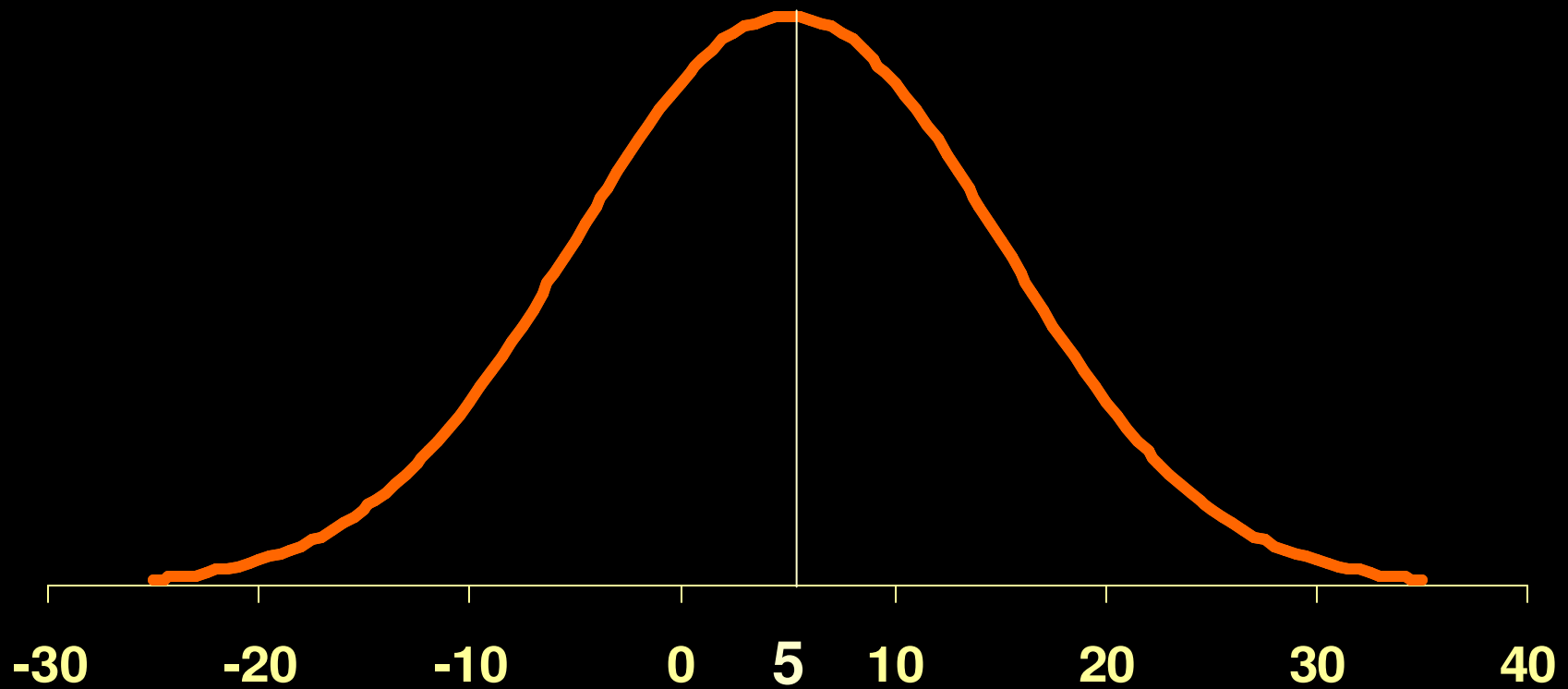
# Distribution of Improvement Scores

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- If  $p = .50$ , groups are required to improve by  $.05$
  - If population of school really improves from  $.50$  to  $.55$ , what percentage of schools will have observed changes that are 5 percent or more? A *decrease* from previous year?
  - What is the bottom 5 percent of that distribution?
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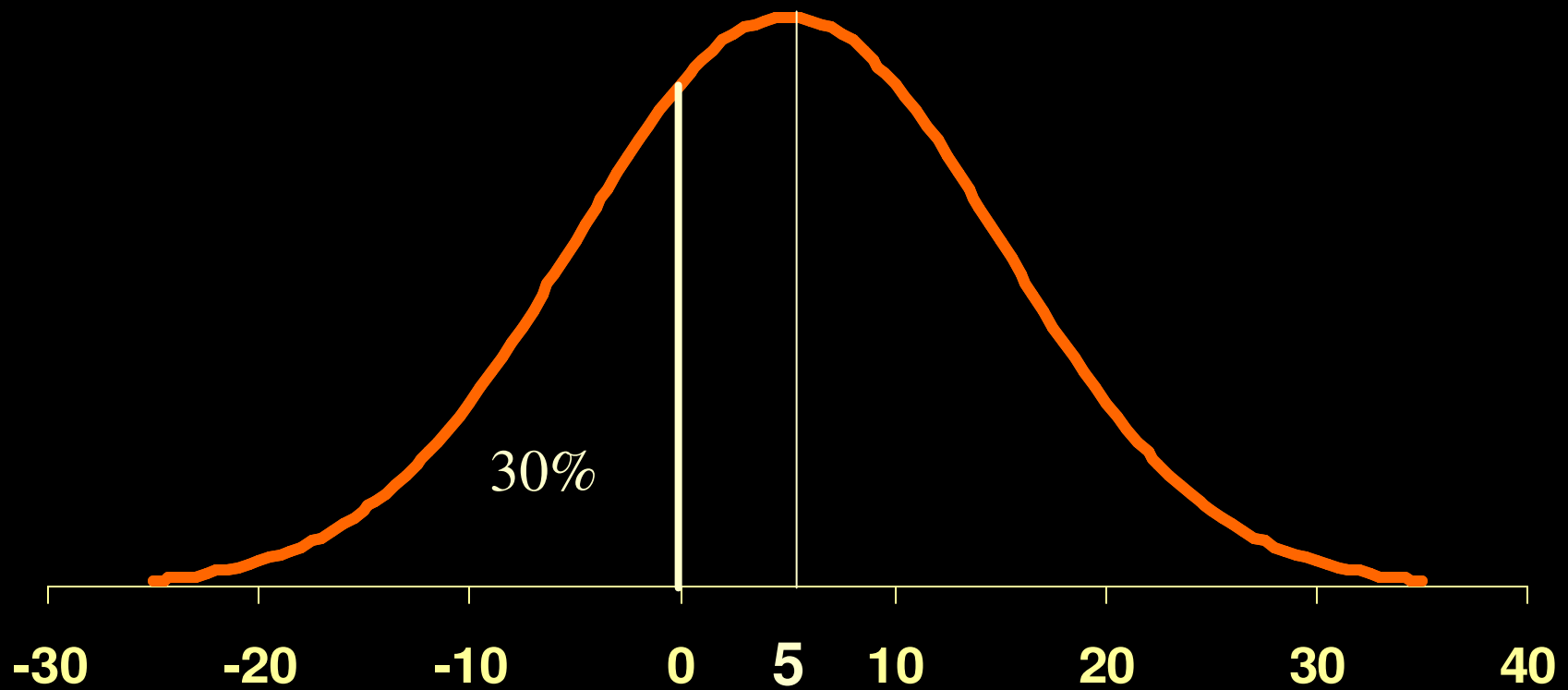
# Distribution of Improvement Scores

$N = 50, p = .50$



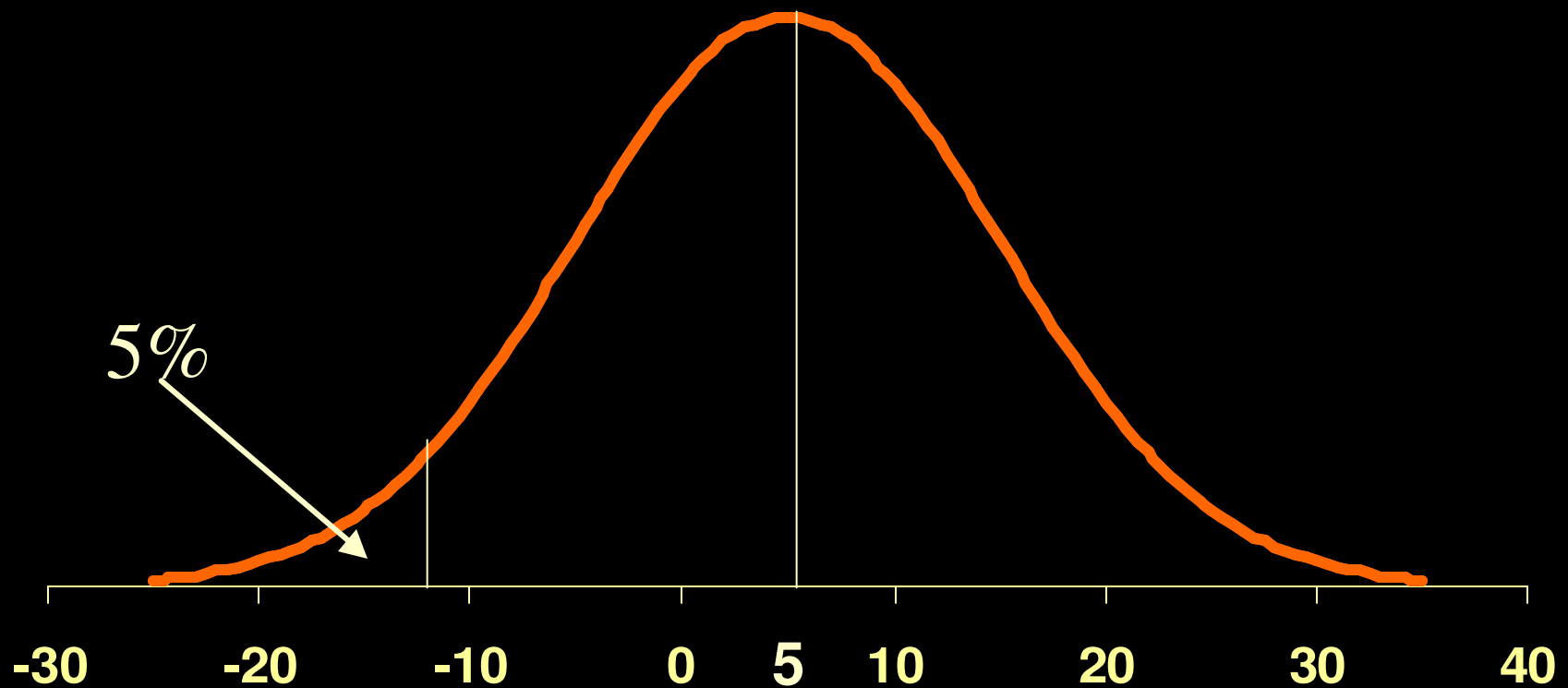
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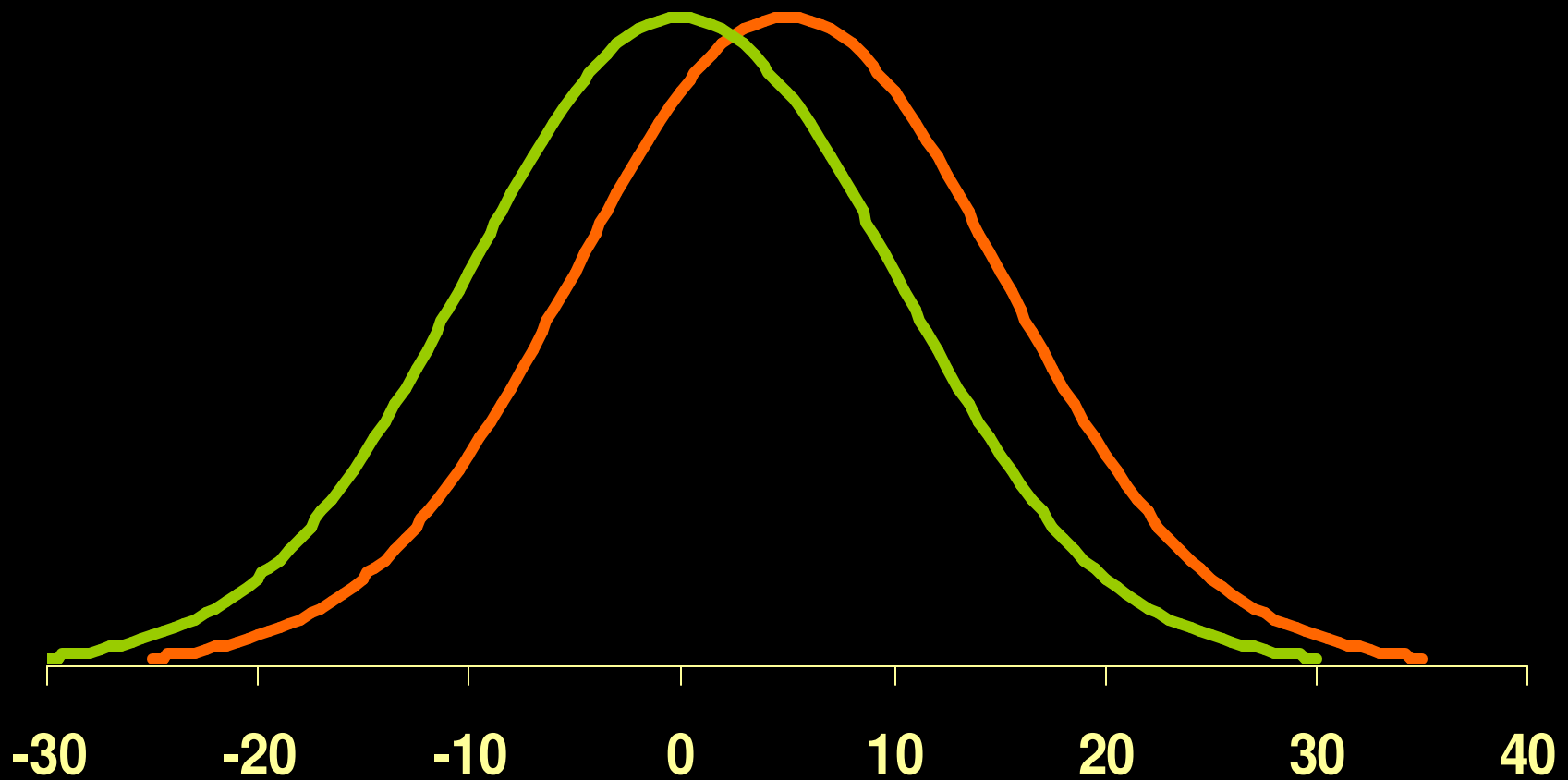
# Distribution of Improvement Scores

$N = 50, p = .50$



# Distribution of Improvement Scores

$N = 50, p = .50$



# Choosing an *Alpha* Level

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- USED guideline is an *alpha* level of .25
  - What *alpha* level should be chosen for each subgroup if the desired *alpha* level for the school is .25 (a *school-wise alpha* level of .25)?
  - If 18 tests are run, and all are independent, each test needs to be at the .015 level
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# The Study

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- Drew a random sample of 300 students from a state
    - Six subgroups
      - Three ethnic groups
      - Economically disadvantaged
      - Special education
      - Limited English proficient
  - Assigned standard scores at random from normal distribution, with mean = 0, sd = 1, to get “Year 1” data
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# The Study (cont'd)

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- Computed percentage Proficient (Proficient was a z-score  $> 0$ )
  - Computed number of additional students that would be needed for 10 percent reduction in non-proficient for every subgroup
  - Changed Not Proficient to Proficient for that number to get “Year 2” data after “improvement”
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# Summary of Study Data

Group	Number of Students	N and % Proficient	
		“Year 1”	“Year 2”
<b>Whole School</b>	<b>300</b>	<b>150 (50)</b>	<b>165 (55)</b>
Subgroup 1	238	121 (51)	133 (56)
Subgroup 2	105	59 (56)	64 (61)
Subgroup 3	44	26 (59)	28 (64)
Subgroup 4	28	10 (36)	12 (43)
Subgroup 5	29	13 (45)	15 (52)
Subgroup 6	22	12 (55)	13 (59)

# Summary of Study Data

Number of Subgroups	Number of Students
1	173
2	90
3	35
4	2

# Next Step in Study

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- Drew 3500 schools of 300 students each, drawing with replacement from the “populations” created
  - Computed whether each subgroup and the school as a whole made AYP under different rules
  - Keep in mind that every draw was supposed to make AYP—all had reduced non-proficient by 10 percent
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# Results of Study

Alpha	With Improvement	
	% Subgroups Making AYP	% Schools Making AYP
.50	50	5
.05	95	75
.01	98-99	93

# Results of Study

Alpha	With Improvement		No Improvement	
	% Subgroups Making AYP	% Schools Making AYP	% Subgroups Making AYP	% Schools Making AYP
.50	50	5	11-38	1
.05	95	75	66-89	40
.01	98-99	93	86-97	71

# Cautions

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- This study is *conservative*
    - 7 groups and 1 test vs. 9 groups and 2 tests
  - States should run a similar test on their own data to determine what group-level alpha needs to be to have a school-wise alpha rate of .25
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# Conclusions

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- To have a school-wise alpha rate of .25, you need to use an alpha rate of .05 for subgroups
  - Given the requirements of NCLB, improvement cannot be measured reliably for most schools
  - But NCLB requires that AYP be defined “...in a manner that is statistically valid and reliable.”
  - So, come to tomorrow’s session on longitudinal designs and see at least one way of doing that
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